Name: Reg.No.:

FIRST SEMESTER FYUGP EXAMINATION NOVEMBER 2024 MINOR

STA1MN101 DESCRIPTIVE STATISTICS FOR DATA SCIENCE

Time : 2 Hrs

Maximum Marks: 70

BL - Bloom's Taxonomy Level (1 to 6) CO - Course Outcome

	Section A Ceiling Marks : 24					
NT	Answer all questions. Each carries 3 marks.	М	DI	<u> </u>		
NO.	Question	2		CO_1		
1.	What is nominal data and ordinal data?Give an example for each.	3	1	COI		
2.	Differentiate between Questionnaire method and schedule method.	3	4	CO1 CO2		
3.	What is pie diagram? What are the limitations of pie diagram?	3	2	CO3		
4.	Distinguish between simple and multiple bar diagrams.	3	4	CO3		
5.	Define Mean deviation.	3	2	CO4		
6.	Define skewness of a distribution. Give any two measures of skewness in common use.	3	2	CO4		
7.	Given $Q1 = 59.46$, $Q3 = 65.46$, median = 62.50. Calculate coefficient of skewness.	3	4	CO4		
8.	Define statistical definition of probability.	3	2	CO5		
9.	What is mean by sample space? Give an example.	3	3	CO5		
10.	State Bayes theorem.	3	2	CO5		
	Section B Ceilir	ng N	lark	s : 36		
	Answer all questions. Each question carries 6 marks.	-				
No.	Question	M	BL	CO		
11.	What is meant by questionnaire?How is it prepared?	6	5	CO1 CO2		
12.	Draw a pie diagram to represent the distributions of a certain blood group'O'	6	6	CO3		
	among Oypsics, indians and Hungarians.					
	Blood group'O' Gypsies Indians Hungarians Total					
	343 313 344 1000					
13.	For the following distribution find mode.	6	4	CO4		
	$\begin{array}{c c c c c c c c c c c c c c c c c c c $	-				
	Frequency 5 8 7 12 28 20 10 10			<u> </u>		
14.	Calculate median for the data given below:	6	6	CO4		
	Class $0-6$ $/-13$ $14-20$ $21-2/$ $28-34$ $35-41$ Energy angle 18 11 8 15 6 2					
	requency 18 11 8 13 0 2					
15	Find Deerson's coefficient of alcourses from the fallowing date	6	4	CO4		
15.	Find Pearson's coefficient of skewness from the following data. Size 8 10 15 22 28 34 40	0	4	04		
	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$					
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16.	Define the term with example	6	2	CO5			
	(i) Mutually exclusive events.						
	(ii) Equally likely events.						
	(iii) Exhaustive events.						
17.	Define pair wise and mutual independence .Give an example of three events which are pair wise independent but not mutually independent.	6	2	CO5			
18.	If A and B are two independent events then prove that	6	4	CO5			
	(i) A and B^c are independent.						
	(ii) A^c and B are independent						
	(II) ²¹ and B are independent.						
	(iii) A^c and B^c are independent.						
Section C							
Answer any 1 question. Each carries 10 marks. (1x10=10 marks)							
No.	Question	Μ	BL	CO			
19.	Compute MD about mean and SD from the following data:	10	6	CO4			
	Class 15 - 20 20 - 25 25 - 30 30 - 35 35 - 40 40 - 45						
	Frequency 8 28 32 11 15 6						
20.	State and prove Bayes theorem.	10	3	CO5			
